# A Study of the Transit-Like Phenomena around a T-Tauri Star 

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## Abstract

How do planets form and evolve? - This question has been primarily considered from a theoretical perspective since early times; it is only recently that we have acquired the ability to observe planets outside our solar system (exoplanets) and the scenes of planetary formation involving components, such as protoplanetary disks and debris disks. To understand planet formation, it is essential to study young systems rather than evolved or aged systems. Among several detection methods for exoplanets, the direct imaging method has been successful in detecting young (age $\lesssim$ Gyrs) gas giants. Other methods are mostly suitable for detecting older planets. Certain planetary parameters such as temperature can be immediately obtained using the direct imaging method, but the derivations of masses and radii have some dependence on the model. In addition, detectable planetary orbits are currently longer than $\sim 10 \mathrm{AU}$ with direct imaging, and the determination of orbital parameters typically requires several years.

In contrast, the detection of such young planetary systems using the transit method is limited. However, transit observations can directly derive the ratio of planetary and stellar radii. Furthermore, orbital parameters can be obtained by a relatively short series of observations.

The first candidate transiting young gas giant CVSO 30 (PTFO 8-8695) was reported by van Eyken et al. (2012). CVSO 30 is an M3 weak-line TTauri star in the Orion OB1a region at a distance of 323 pc with a mass of $0.44 M_{\odot}$ (using the Baraffe et al. (1998) model), a radius of $1.39 R_{\odot}$, and an effective temperature of 3470 K (Briceño et al., 2005). The candidate planet has an orbital period of 0.448413 days, which is comparable to the rotational period of the host star, a mass of $M_{\mathrm{p}} \leq 5.5 M_{\text {Jup }}$, a radius of $1.91 R_{\text {Jup }}$, and an orbital semi-major axis of 0.00838 AU (van Eyken et al., 2012). Note that the observed light curves show large variations of fading depth and duration with time. Barnes et al. (2013) explained these in terms of a combination of the precession of the ascending node planetary orbit and the stellar gravity-darkening effect, assuming the synchronization of stellar rotation and planetary orbital motion. Conversely, Yu et al. (2015) argued that the transit-like events were unlikely to be caused by a giant planet, but rather may have been caused by starspots near the rotational pole, circumstellar dust clump transit, or occultation of accretion hotspots.

Furthermore, the wavelength dependence of fading events obtained using multiband simultaneous photometry by Yu et al. (2015) and Raetz et al. (2016) are inconsistent.

As described above, little is yet known about the planets and planetary orbits around young stellar objects (YSOs). CVSO 30 is, in fact, the only young transiting planet candidate observed so far. Hence, a detailed study of this object is important for a general understanding of events around YSOs.

In this thesis, we present optical three-band simultaneous observations and long-term infrared observations of CVSO 30, the youngest object to be identified as a candidate transiting planet. The data were obtained with the Multicolor Simultaneous Camera for studying Atmospheres of Transiting exoplanets (MuSCAT) and the near-infrared imaging and spectroscopic instrument (ISLE) on the $188-\mathrm{cm}$ telescope at Okayama Astrophysical Observatory in Japan.

For the multiband observations, we first observed the fading event in three colors ( $g_{2}^{\prime}$, $r_{2}^{\prime}$, and $z_{\mathrm{s}, 2}$-bands) simultaneously. Consequently, we found a significant wavelength dependence for fading depths of approximately $3.1 \%, 1.7 \%$, and $1.0 \%$ for the $g_{2}^{\prime}$, $r_{2}^{\prime}$, and $z_{\mathrm{s}, 2}$-bands, respectively. This wavelength dependence includes the degeneracy between the planetary-to-stellar radius ratio $R_{\mathrm{p}} / R_{\mathrm{s}}$ and the transit impact parameter $b$ owing to the obtained grazing orbit. We confirm that $R_{\mathrm{p}} / R_{\mathrm{s}}$ has a wavelength dependence for any $b$.

For the long-term observations, we recorded 12 fading events over the four seasons. Most observations used ISLE with the $J$-band filter. Such long-term observations in infrared have to date not been carried out before. We observed double fading events in certain cases. To analyze these double fadings, we fitted the light curves to transit models for the first and second fadings. As a result, we found that both $R_{\mathrm{p}} / R_{\mathrm{s}}$ and $b$ vary in the orbital epoch.

Finally, we discuss the origin of fading of the CVSO 30 based on our new observations and the previous results. A cloudless H/He-dominant atmosphere of a hot Jupiter cannot explain this large wavelength dependence. We also rule out the scenario of occultation by the gravity-darkened host star. For these reasons, the scenario of a gas giant origin is ignored.

Transit timing analysis shows that in double fading events, the first fading events are more periodic than the second fading events. The first fading timing shows no evidence of orbital decay, which is presented by Yu et al. (2015) and Raetz et al. (2016). Previous studies could have confused the timing of second fading events with an orbital decay. The absence of orbital decay is inconsistent with the calculation of tidal dissipation assuming a gas giant by Kamiaka et al. (2015).

Furthermore, a starspot is an unlikely cause of fading events, because it is difficult for the spot to exist near the pole at all times. Thus, all our
results are in favor of the origins of potential fading as circumstellar dust clumps or the occultation of an accretion hotspot.

Future transit survey projects have the potential to discover other periodic fading events, and studies on multiple young objects with transit-like events will also be important.

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## Chapter 1

## Introduction

In this chapter, we introduce the observational and theoretical background of studies on exoplanets.

### 1.1 Exoplanet

A couple of decades have passed since the first discovery of an exoplanet by Mayor \& Queloz (1995). The first detected exoplanet 51 Pegasi b is a gas giant orbiting close-in around a Sun-like star. Hence, this planet has a high equilibrium temperature above 1300 K (Mayor \& Queloz, 1995) and is called a "Hot Jupiter." Hot Jupiters are considered to have migrated from outer orbits because they are unable to form in situ but rather must have formed in an outer orbit. We introduce planetary formation in Section 1.1.2 and orbital evolution in 1.1.3.

Most exoplanets are very faint and have large contrasts with their host stars; therefore, indirect methods are often used for observing exoplanets. For example, the radial-velocity method, which enabled the first detection of an exoplanet is a method based on measurement of the radial velocity of the stellar motion by the planetary gravitation. This method is sensitive to close-in and massive planets. However, the radial velocities of active and fast rotating stars are difficult to measure. As another example, the microlensing method is a technique that uses brightening by gravitational microlensing, which occurs when a foreground star happens to pass very closely to the line of sight of a background star. If the foreground star has planetary companions, the light curve varies depending on the mass of planet or the separation. This method is able to find planets of several Earth masses. However, follow-up observations are impossible because microlensing is a one-time event.

The transit method is useful when a planet passes across the face of its host star. This method has an advantage of obtaining a planetary radius with a close-in orbit. Since this thesis is mainly based on transit observa-
tions, in Section 1.1.1, we present a detailed description of transit observations.

### 1.1.1 Transit Observation

When a planetary orbital plane from an observer is $\sim 90^{\circ}$ from an observer (edge-on), a host star is occulted by the planet (upper light curve of Figure 1.1). Then, the observer can detect a flux fading; this is called the transit method. The first transit detection was an observation of HD 209458b by Charbonneau et al. (2000) and Henry et al. (2000). Transiting planets are discovered by follow-up observations of planets that are detected by the radial-velocity method in addition to ground or space surveys (e.g. HAT: Bakos et al. (2002); WASP: Pollacco et al. (2006); CoRoT: Baglin et al. (2002); Kepler: Borucki et al. (2003)).

To observe transits, we need to calculate the transit timing. A time of transit center $T_{\mathrm{c}}$ is

$$
\begin{equation*}
T_{\mathrm{c}}=n P+T_{0} \tag{1.1}
\end{equation*}
$$

where $n$ is an integer, $P$ is an orbital period, and $T_{0}$ is a reference time of transit center.

In a non-grazing transit, there are four contacts between the stellar and planetary disks $\left(t_{\mathrm{I}}-t_{\mathrm{IV}}\right)$ in Figure 1.1. The total duration is $T_{\mathrm{tot}}=t_{\mathrm{IV}}-t_{\mathrm{I}}$, the full duration is $T_{\text {full }}=t_{\text {III }}-t_{\text {II }}$, the ingress duration is $\tau_{\text {ing }}=t_{\text {II }}-t_{\mathrm{I}}$, and the egress duration is $\tau_{\text {egr }}=t_{\text {IV }}-t_{\text {IIII }}$. The duration is calculated using the orbital parameters,

$$
\begin{equation*}
t_{\text {III }}-t_{\text {II }}=\frac{P}{2 \pi \sqrt{1-e^{2}}} \int_{f_{\text {II }}}^{f_{\text {III }}}\left[\frac{r(f)}{a}\right]^{2} d f \tag{1.2}
\end{equation*}
$$

where $e$ is the orbital eccentricity, $r$ is the distance from the host star to the planet, $f$ is the orbital phase, and $a$ is the orbital semi-major axis. For a circular orbit, the durations are written as

$$
\begin{align*}
& T_{\text {tot }} \equiv t_{\mathrm{IV}}-t_{\mathrm{I}}=\frac{P}{\pi} \sin ^{-1}\left[\frac{R_{\mathrm{s}}}{a} \frac{\sqrt{\left(1+R_{\mathrm{p}} / R_{\mathrm{s}}\right)^{2}-b^{2}}}{\sin i}\right]  \tag{1.3}\\
& T_{\text {full }} \equiv t_{\mathrm{III}}-t_{\mathrm{II}}=\frac{P}{\pi} \sin ^{-1}\left[\frac{R_{\mathrm{s}}}{a} \frac{\sqrt{\left(1-R_{\mathrm{p}} / R_{\mathrm{s}}\right)^{2}-b^{2}}}{\sin i}\right] \tag{1.4}
\end{align*}
$$

where $R_{\mathrm{s}}$ is the stellar radius, $R_{\mathrm{p}}$ is the planetary radius, $i$ is the orbital inclination, and $b$ is the impact parameter, which is

$$
\begin{equation*}
b=\frac{a \cos i}{R_{\mathrm{s}}}\left(\frac{1-e^{2}}{1+e \sin \omega}\right) \tag{1.5}
\end{equation*}
$$



Figure 1.1: Illustration of a transit and the corresponding time-variation of a stellar flux. $t_{\mathrm{I}}, t_{\mathrm{II}}$, $t_{\mathrm{II}}$, and $t_{\mathrm{IV}}$ are the first, second, third, and fourth contacts, respectively. The ingress and egress durations are $t_{\mathrm{I}}-t_{\mathrm{II}}$ and $t_{\text {III }}-t_{\mathrm{IV}}$, respectively.

The total flux of the star and planet $F(t)$ is expressed as

$$
\begin{equation*}
F(t)=F_{\mathrm{s}}(t)+F_{\mathrm{p}}(t)-\left(\frac{R_{\mathrm{p}}}{R_{\mathrm{s}}}\right)^{2} \alpha F_{\mathrm{s}}(t) \tag{1.6}
\end{equation*}
$$

where $F_{\mathbf{s}}(t)$ is the stellar flux, $F_{\mathrm{p}}(t)$ is the planetary flux, and $\alpha$ is a dimensionless function of the overlap area between the stellar and planetary disks. Generally, $F_{\mathrm{s}}(t)$ varies owing to flares, starspots, plages, tidal deformation, and so on; however, $F_{\mathrm{s}}(t)$ is taken here to be constant for simplicity. Now, we only have to consider $f(t) \equiv F(t) / F_{\mathrm{s}}$, that is

$$
\begin{equation*}
f(t)=1+\left(\frac{R_{\mathrm{p}}}{R_{\mathrm{s}}}\right)^{2} \frac{I_{\mathrm{p}}(t)}{I_{\mathrm{s}}}-\left(\frac{R_{\mathrm{p}}}{R_{\mathrm{s}}}\right)^{2} \alpha \tag{1.7}
\end{equation*}
$$

where $I_{\mathrm{p}}$ and $I_{\mathrm{s}}$ are the planetary and stellar intensities, respectively. $I_{\mathrm{p}}$ varies in time according to the planetary phase function and the planetary atmospheric variations. $I_{\mathrm{p}}$ may be considered constant in the time scale of one transit; therefore, only $\alpha$ varies in time and can be approximated by a trapezoid. Then, the transit depth $\delta$ is written as

$$
\begin{equation*}
\delta \approx\left(\frac{R_{\mathrm{p}}}{R_{\mathrm{s}}}\right)^{2}\left[1-\frac{I_{\mathrm{p}}(t)}{I_{\mathrm{s}}}\right] \tag{1.8}
\end{equation*}
$$

For negligible intensity from the planetary night side,

$$
\begin{equation*}
\delta \approx\left(\frac{R_{\mathrm{p}}}{R_{\mathrm{s}}}\right)^{2} \tag{1.9}
\end{equation*}
$$

If the variation of flux is approximated by a trapezoid, the light curve of ingress and egress are linear functions of time; however, this does not actually occur because of the nonuniform planetary motion. Hence, the occultation area is not a linear function (Mandel \& Agol, 2002).

Additionally, the transit bottom is not flat because of the nonuniform stellar disk intensity. The stellar disk is bright at its center and faint in the outer regions, which is called "limb darkening." For this reason, the transit is deeper when the planet is at the center of stellar disk, and shallower when the planet is in the stellar limb. Limb darkening is caused by differences in the temperature and altitude in the stellar atmosphere. The intensity profile $I(X, Y)$ with the sky in the $X-Y$ plane is

$$
\begin{equation*}
I \propto 1-u_{1}(1-\mu)-u_{2}(1-\mu)^{2} \tag{1.10}
\end{equation*}
$$

where $\mu \equiv \sqrt{1-X^{2}-Y^{2}}$ and $\left\{u_{1}, u_{2}\right\}$ is the limb darkening coefficient, which is calculated by a stellar atmosphere model or is obtained from a transit light curve. A light curve including limb darkening is shown at the bottom of Figure 1.1.

In case of a grazing orbit, $t_{\text {II }}$ and $t_{\text {III }}$ disappear. Hence, the transit bottom becomes V-shaped or round-bottom. Additionally, $R_{\mathrm{p}} / R_{\mathrm{s}}$ and $b$ are degenerate when the transit path grazes the stellar disk. For example, the transit light curve with $R_{\mathrm{p}} / R_{\mathrm{s}}=0.1, b=1.0$ and that with $R_{\mathrm{p}} / R_{\mathrm{s}}=0.2, b=1.12$ have approximately the same shape (Figure 1.2). These degeneracies cause large errors in $R_{\mathrm{p}} / R_{\mathrm{s}}$ and $b$.

### 1.1.2 Planetary Formation

Planetary formation theories have evolved from theories of the formation of the solar system. Safronov (1972) and Hayashi, Nakazawa, \& Nakagawa (1985) constructed the solar system formation model using a $\sim 0.011 M_{\odot}$ protoplanetary disk. These are the origins of core accretion models (e.g. Kokubo \& Ida, 2002).

In a core accretion model, dust grains in the protoplanetary disk drop onto the equatorial plane and merge into planetesimals. Planetesimals merge mutually and grow into protoplanets. In the first stage of the planetesimals growth, the process of increasing mass is the runaway growth mode (e.g. Tanaka \& Nakazawa, 1994). The mass increasing rates of planetesimals are faster in the massive planetesimals in the runaway growth mode. The protoplanets grown in this manner scatter other planetesimals and the growing rates slow down (Kokubo \& Ida, 1998). This stage is known as the oligarchic growth mode.

When protoplanets grow to be $\sim 10 M_{\oplus}$ (Mizuno, 1980; Ikoma, Nakazawa, \& Emori, 2000), gas accretion onto the protoplanet starts runaway growth (Bodenheimer \& Pollack, 1986; Pollack et al., 1996). The accreted planet continues to grow until gas around the planet disappears. Note that the formation time of the core is proportional to the cube of the radius from the central star. Therefore, gas giants do not form in regions too distant from the central star, because the disk gas has dissipated in the time the core has formed. The lifetime of protoplanetary disks is $10^{6}-10^{7} \mathrm{yr}$ according to the observations of T-Tauri stars in young clusters (Beckwith et al., 1990; Haisch, Lada, \& Lada, 2001; Hernández et al., 2007). Gas giant formation is completed by the lifetime of protoplanetary disks. However, there are several problems: infall of dust into the host star before the formation of planetesimals by gas drag (e.g. Brauer, Dullemond, \& Henning, 2008), destruction of kilometer-scale planetesimals by mutual collision (e.g. Ida, Guillot, \& Morbidelli, 2008), and infall of the planet into the host star by gravitational interaction with the protoplanetary disk.

In contrast, Cameron (1978) argued that planets form in the $\sim 1 M_{\odot}$ protoplanetary disk with gravitational instability of the disk. In the gravitational instability model, giant planets form by the collapse of the protoplanetary disk. The biggest advantage of the gravitational instability model over


Figure 1.2: Example of grazing transit light curves. The solid black line shows the transit with $R_{\mathrm{p}} / R_{\mathrm{s}}=0.1, b=1.0$. The dashed red line shows the transit with $R_{\mathrm{p}} / R_{\mathrm{s}}=0.2, b=1.12$. These very similar transit shapes cause degeneracy of the fitted parameters $R_{\mathrm{p}} / R_{\mathrm{S}}$ and $b$.
the core accretion model is the ability to neglect the above problems because the gas giant forms directly from the protoplanetary disk. This model also has problems; an abundance of the planets is consistent with one of host star and rocky planets do not form by gravitational instability. However, some of answers for these problems have been proposed recently (e.g. Nayakshin, Helled, \& Boley, 2014). Additionally, occurrence rates of gas giants increase with host star metallicity (e.g. Wang \& Fischer, 2015). The core accretion model can explain it, but the gravitational instability model cannot. Therefore, core accretion has been considered the "standard" model in planet formation.

### 1.1.3 Orbital Evolution

Planetary orbits of exoplanets are known to show a much wider distribution than those of the solar system. Figure 1.3 shows known exoplanets' relations between orbital period and planetary mass. The group of Jupitermass planets with an orbital period less than $\sim 10$ days is known as hot Jupiters. Additionally, certain exoplanets have highly eccentric orbits (Figure 1.4) and/or spin-orbit misalignment (Figure 1.5). Note that spin-orbit misalignment can only be measured for only transiting planets. Hence, the planets for which spin-orbit misalignment has been measured only have only close-in orbits.

As shown in the figures, many planets including hot Jupiters exist within the orbits of solar system planets. This section describes theories regarding how these planets have these strange orbits.

Whether planets form by core accretion or gravitational instability, gas giants with small orbits (close-in planets), such as hot Jupiters, cannot form in situ. Hence, there is a mechanism for planetary migration from an outer orbit to an inner orbit.

The planet interacts with the gaseous disk and receives the angular momentum from the gas in the inner orbit and gives the angular momentum to the gas in the outer orbit. In general, the torque passed from the planet to the outer orbit is larger; hence, the planet migrates to the inner orbit in an isothermal gas disk (Ward, 1986). This mechanism is called "Type I migration," which is accentuated in rocky planets so as not to influence the density distribution of a disk. If the planet grows to dozens of Jupiter masses, the planet opens the gap in the disk. Then, the planet is fixed to the gap by gravitational interaction and migrates to the inner orbit (Lin \& Papaloizou, 1985), as shown in the upper panel of Figure 1.6. This mechanism is called "Type II migration." The planets fall in while maintaining circular orbits in Type I and Type II migrations.

On the other hand, gravitational perturbations from other objects also cause planets to shift their orbits. In the case of planet-planet scattering, planetary orbits shift or release from a planetary system when three or more


Figure 1.3: Relations between semi-major axis and planetary mass of known exoplanets as of October 2016. The data of exoplanets are from http://exoplanetarchive.ipac.caltech.edu. The colors of points indicate detection methods.


Figure 1.4: Relations between semi-major axis and orbital eccentricity of known exoplanets as of December 2016. The data of exoplanets are from http://exoplanets.org.


Figure 1.5: Relations between semi-major axis and spin-orbit misalignment of known transiting planets as of December 2016. The data of exoplanets are from http://exoplanets.org.
gas giants exist in the planetary system (e.g. Marzari \& Weidenschilling, 2002), as shown in the middle panel of Figure 1.6. Then the orbit of the remaining planet is deformed into an eccentric orbit. In the wide binary system, the planetary orbit is perturbed from a stellar companion by the Kozai mechanism (Kozai, 1962). The Kozai mechanism oscillates the eccentricity and orbital inclination of the planetary orbit, as shown in the bottom panel of Figure 1.6. The existence of eccentric planets and misalignment planets is a testament to planet-planet scattering and/or the Kozai mechanism.

If a planet with a highly eccentric orbit gets close enough to exert tidal force, the planetary semi-major axis decreases by tidal dissipation from the host star. Thus, the planetary orbit becomes a circular close-in orbit, such as that of a hot Jupiter. Therefore, there is no way to the know orbital migration mechanisms of hot Jupiters, excepting young planets before tidal circularization. According to Ivanov \& Papaloizou (2004), the tidal circularization timescale is greater than a few gigayears for a planet with mass of the order of the Jupiter mass and final period $\sim 1-4.5$ days. Hence, we must observe young planets to inspect the mechanism of orbital migration.

As described above, there are several mechanisms of the hot Jupiters' orbital evolution. Knutson et al. (2014) searched for distant massive companions to known hot Jupiters that may have influenced the dynamical evolution of the planetary systems. They estimated that $51 \pm 10 \%$ of the hot Jupiters have a companion with orbital semi-major axes in the range of $1-20 \mathrm{AU}$ and masses in the range of $1-13 M_{\mathrm{Jup}}$, while the masses of the planetary companion tend to be comparable to or larger than the transiting hot Jupiters. They found no statistically significant difference between the frequency of companions to transiting planets with misaligned or eccentric orbits and those with well-aligned, circular orbits.

Simpson et al. (2011) find that the host stars have $T_{\text {eff }}<6250$ $K$ and conform to the trend of cooler stars having low obliquities. This is suggests that the tidal torques experienced by cooler stars, with larger convective zones, could cause their envelopes to quickly align with a planetary orbit, thereby erasing any initial misalignment.

### 1.2 Observational Studies for Young Giant Planets

Giant planets undergoing formation or shortly after formation can be mainly observed by direct imaging (e.g. Marois et al., 2008; Kuzuhara et al., 2011). These planets are all gas giants with large semi-major axes, and hence, again, their formation cannot be explained by core accretion, because of their young ages compared to the giant planet forming time predicted by the core accretion model. The gravitational instability model can explain

## Type II migration



Planet-planet scattering


Kozai mechanism


Figure 1.6: Illustrations of planetary migration processes. Top: Type II migration. Middle: Planet-planet scattering. Bottom: Kozai mechanism.
the formation of these planets; however, it is unknown how many planets form by gravitational instability. Therefore, although the important point is discovering planets with smaller semi-major axes, the direct imaging cannot observe within the region of several AU with the current technology. Furthermore, neither the radii nor masses of the planets observed by direct imaging are directly derived, owing to their dependence on the planetary formation and evolution model.

For the radial-velocity method, some planet candidates have been recently found. Donati et al. (2016) discovered a hot Jupiter candidate around a $<2$ Myr weak-line T-Tauri star V830. As another example, Johns-Krull et al. (2016) found out a giant planet candidate around a $\sim 2 \mathrm{Myr}$ classical T-Tauri star CI Tau by the radial-velocity method. The masses of these planet candidates detected by radial-velocity method are able to be measured; however, their radii cannot be measured. By contrast, the transit method is able to measure planetary radii and then obtain the densities by the combination with the radial-velocity method. It is noted that the transit method is sensitive to the nearby host star; therefore, it is complementary to direct imaging.

As described in Section 1.1.3, observations of young hot Jupiters are needed to understand the process of orbital migration. However, such young transiting planets have only very rarely yet been found. Although the origin is not a planet, Rodriguez et al. (2017) found dimming events of the weak-line T-Tauri star V1334. The possible origin is an orbiting body (e.g. a disk warp or dust trap), enhanced disk winds, hydrodynamical fluctuations of the inner disk, or a significant increase in the magnetic field flux at the surface of the star. One of the few examples of a young planet candidate was reported recently using the transit method (van Eyken et al., 2012). Thus, we will explain this source in detail.

### 1.3 Previous Studies for CVSO 30

CVSO 30b (PTFO 8-8695b) is a candidate transiting hot Jupiter around a weak-line T-Tauri star in the Orion OB1a/25-Ori region found by van Eyken et al. (2012). The age of CVSO 30 is estimated as $\sim 3 \mathrm{Myr}$ (Briceño et al., 2005), which makes this object the youngest candidate planet. The host star is an M3 type pre-main-sequence star in the Orion OB1a region at a distance of $323_{-96}^{+233} \mathrm{pc}$. CVSO 30 has a mass of $0.44 M_{\odot}$ (using the Baraffe et al. (1998) model) or $0.34 M_{\odot}$ (using the Siess, Dufour, \& Forestini (2000) model), a radius of $1.39 R_{\odot}$, and an effective temperature of 3470 K (Briceño et al., 2005). The candidate planet has an orbital period of $0.448413 \pm 0.000040$ days, which is comparable to the rotational period of
the host star, a mass of $M_{\mathrm{p}} \leq 5.5 \pm 1.4 M_{\mathrm{Jup}}$, a radius of $1.91 \pm 0.21 R_{J u p}$, and an orbital semi-major axis of $0.00838 \pm 0.00072 \mathrm{AU}$ (van Eyken et al., 2012).

In contrast to other planetary transiting objects, the observed fading light curves of CVSO 30 change with the observational epoch. Barnes et al. (2013) explained this by a combination of the precession of the ascending node of planetary orbit and the stellar gravity-darkening effect, assuming synchronization of the stellar rotation and planetary orbital motion. Kamiaka et al. (2015) added the photometric data and reanalyzed the light curves using precession and the gravity-darkening model without the co-rotation. Examples of nodal precession had been found in Kepler-13b (Szabó et al., 2012) and WASP-33b (Johnson et al., 2015). Schmidt et al. (2016) discovered an additional planet CVSO 30c in the outer orbit ( $P \sim 27000 \mathrm{yr}$ ) by the direct imaging method. The best-fitted planetary mass of $4-5 M_{\text {Jup }}$ suggests that the CVSO 30 planetary system has experienced the planet-planet scattering events.

On the other hand, Ciardi et al. (2015) observed a primary transit at $4.5 \mu \mathrm{~m}$ using Spitzer IRAC without any sign of a secondary eclipse. In addition, their radial-velocity measurement showed no evidence of the RossiterMcLaughlin effect. Yu et al. (2015) observed 13 events with the $i^{\prime}$-band and 13 other events with the $I+z$-band over three years. They found that the fading period is not constant. Multiband simultaneous observations were performed for five fading events, of which $r^{\prime}$ - and $I+z$-bands were observed simultaneously on two nights, $i^{\prime}$ - and $g^{\prime}$-bands were observed on another two nights, and $I+z$ - and $H$-bands were observed on one night. Their multiband observations showed that the depths of all but one fading event were deeper at short wavelengths, while one of the fading events showed the same depth in the $r^{\prime}$ - and $I+z$-bands showed the same depth.

In addition, they tried to detect the secondary eclipse at infrared and the Rossiter-McLaughlin effect by high-resolution spectroscopy. They could not find an expected signature in either observation but found strong variable $\mathrm{H} \alpha$ and CaH and K lines. Hence, Yu et al. (2015) argued that the transit-like events were unlikely to be caused by a giant planet, but rather caused either by starspots near the rotational pole, circumstellar dust clump transit, or occultation of an accretion hotspot. Raetz et al. (2016) observed 33 fading events and found that the period of the fading event was shortened. They also observed a fading event in the $B$ - and $R$-bands simultaneously, and found that the light curve showed the same depth. Johns-Krull et al. (2016) observed excess $\mathrm{H} \alpha$ emission from CVSO 30. The excess $\mathrm{H} \alpha$ emission was not detected constantly; however, the observed velocity motion in transit was almost as expected. They argued that this excess came from the planet in the middle of mass loss.

### 1.4 Our Motivation

Our motivations in this thesis are to investigate what is happening around the critical candidate(s) of young transiting planet. It is important to study the scene of planetary formation; however, few observational studies have been carried out, except for on CVSO 30. Hence, CVSO 30 is currently the most important object for understanding the environment around a young star.

As presented above, the studies of wavelength dependence using multiband simultaneous photometry by Yu et al. (2015) and Raetz et al. (2016) are inconsistent. However, CVSO 30 has a large stellar variability and its fading shape changes with time. Therefore, simultaneous observations are required for measuring the wavelength dependence of fading events. It has been difficult to discern the trend of wavelength dependence from previous studies, because they have all been performed using only by two colors.

In this paper we report our results of independent three-band simultaneous transit photometry for a fading event of CVSO 30. We use the Multicolor Simultaneous Camera for studying Atmospheres of Transiting exoplanets (MuSCAT) (Narita et al., 2015) on the $188-\mathrm{cm}$ telescope at Okayama Astrophysical Observatory (OAO) to investigate the wavelength dependence of a fading event. The multiband simultaneous observations realize a comparison between wavelength dependence of fading depth and possible origins such as planetary atmosphere and dust cloud. Additionally, we observe the fading events over three years in a near-infrared wavelength for the first time. As a result, we find double fading events for the first time. The infrared longterm observations enable the discussion of the time-evolution of $R_{\mathrm{p}} / R_{\mathrm{s}}$, the impact parameter, and the fading duration with reduced baseline variations. Stellar variation of CVSO 30 occurs mainly by starspots. An advantage of infrared observations over optical observations is their robustness for starspots, which are different in temperature.

I contributed to observations and discussions and so on. I also developed the MuSCAT instrument as a member of the MuSCAT team. The long-term observations were primarilly performed by my proposal for the thesis-supporting program in OAO. I had a key role in the discussions with colleagues.

We describe the multiband simultaneous observations for CVSO 30, analysis, and results in Chapter 2. Chapter 3 shows the results of long-term observations. In Chapter 4, we discuss the origin of transit-like events based on the results of both Chapters 2 and 3. Finally, we summarize our results and future plans in Chapter 5.

## Chapter 2

## Multiband Simultaneous Observations for CVSO 30

(Based on a paper by Onitsuka et al., accepted for PASJ)
As described in Section 1.3, the origin of fading events of CVSO 30 is yet unidentified. We performed the first simultaneous three-color photometry of CVSO 30 to investigate the origin of fading events. In this chapter, we describe in detail the multicolor simultaneous observations, analysis and results. The discussion is presented in Chapter 4, based on the combined results of this and the next chapters. My contribution to the development of the instrument (MuSCAT) is also described here.

### 2.1 Observations

### 2.1.1 The Multicolor Simultaneous Camera for studying Atmospheres of Transiting exoplanets (MuSCAT)

The Okayama Astrophysical Observatory (OAO) 188-cm telescope is one of the largest telescopes in Japan. The OAO $188-\mathrm{cm}$ telescope is an equatorial optical telescope. The pointing accuracy is approximately 10 arcsec.

We developed the Multicolor Simultaneous Camera for studying Atmospheres of Transiting exoplanets (MuSCAT) (Narita et al., 2015) on the OAO $188-\mathrm{cm}$ telescope for simultaneously taking optical imaging data with three colors. MuSCAT has three $1024 \times 1024$ pixel CCDs and two dichroic mirrors for simultaneous observation. The field of view is $6.1 \times 6.1 \mathrm{arcmin}^{2}$ with a pixel scale of $0.358 \mathrm{arcsec} /$ pixel. Filters for the $g_{2}^{\prime}(400-550 \mathrm{~nm})$, $r_{2}^{\prime}(550-700 \mathrm{~nm})$, and $z_{\mathrm{s}, 2}(820-920 \mathrm{~nm})$ bands are simultaneously available using Astrodon Photometrics Generation 2 Sloan filters. The principal purpose of MuSCAT is to perform high-precision multicolor transit photometry. For this purpose, MuSCAT has a capability of self-autoguiding, which enables it to fix positions of stellar images within $\sim 1$ pixel.

I have contributed to the measurement of CCD specifications. I tested the linearity of MuSCAT CCDs for each readout speed and each gain. I will explain this test in detail here.

My method is based on a previous study of the CCDs on the High Dispersion Spectrograph (HDS) of the Subaru telescope (Tajitsu et al., 2010). First, I construct linearity test frames with gradational counts on the CCDs, by opening only a half of the tertiary mirror cover and inserting a black plate into the light path in front of MuSCAT. Figure 2.1 shows an example of a linearity test frame. Second, I monitor counts of the filament lamp until the filament lamp is stabilized. I note that it takes approximately two hours until the counts become nearly constant. I then start linearity test exposures as follows. I first determine an exposure time for each CCD, which provides counts from the bias level to saturation level gradationally on the CCDs. I define the frames with the above exposure time as "A" frames and those with one half of the exposure time as " B " frames. I then consider A and B frames alternately until obtaining 20 of each frames type. I have repeated such exposures for each gain and each readout speed, i.e., for the gain modes of $1,2,4 \mathrm{e}^{-} / \mathrm{ADU}$, and for the readout speeds of 100 kHz and 2 MHz . Subsequently, I subtract a median bias frame for each gain and each readout speed. I then make a new frame that computes photon counts of each pixel in an A frame minus twice the photon counts for the same pixel in a B frame using adjacent A and B frames (39 pairs in total for each gain and each readout speed). I define those frames as "C" frames (namely, $C=A-2 \times B$ for each pixel). To visualize the linearity of the CCDs, I plot electron counts (namely, photon counts $\times$ gain) of corresponding pixels in A and C frames on X- and Y-axis respectively. An example of such a plot is shown in Figure 2.2. I finally fit the plotted data with a linear function ( $Y=a X$ ) using the data up to $X=64000$, and the best-fit linearity slopes are summarized in Table 2.1.1. Based on the above test, I have confirmed that MuSCAT CCDs have a good linearity within $\sim 0.21 \%$ at a maximum up to the saturation level. These results indicate that the effect of nonlinearity is well negligible, even for high-precision transit photometry if the counts of stars do not change drastically during observations. If necessary, I will use these data for nonlinearity corrections.

### 2.1.2 Transit Observations

We observed a fading event of CVSO 30 on 2016 Feb 9 (UT). We used the MuSCAT on the $188-\mathrm{cm}$ telescope at OAO.

For precise differential photometry, dithering observations cause systematic error because of the incomplete correction of the flat pattern. For this reason, we fix the stellar position on the CCD using the self-autoguiding software (Narita et al., 2015). This software detects the stellar barycenter on science frames, and then the software corrects the attitude of the telescope


Figure 2.1: Example of a linearity test frame in $g_{2}^{\prime}$-band. Counts of the dark region are nearly at the bias level and those in the brightest region are saturated.

| Gain mode | ADC speed [Hz] | $g_{2}^{\prime}$-band <br> linearity slope [\%] | $r_{2}^{\prime}$-band <br> linearity slope [\%] | $z_{s}$-band <br> linearity slope [\%] |
| :---: | :---: | :---: | :---: | :---: |
| 1 | $2 \times 10^{6}$ | $0.154 \pm 0.062$ | $0.104 \pm 0.051$ | $0.204 \pm 0.026$ |
|  | $1 \times 10^{5}$ | $-0.198 \pm 0.071$ | $-0.055 \pm 0.043$ | $-0.133 \pm 0.040$ |
| 2 | $2 \times 10^{6}$ | $0.016 \pm 0.072$ | $0.018 \pm 0.045$ | $0.112 \pm 0.025$ |
|  | $1 \times 10^{5}$ | $-0.210 \pm 0.069$ | $0.005 \pm 0.043$ | $-0.061 \pm 0.039$ |
| 4 | $2 \times 10^{6}$ | $0.169 \pm 0.044$ | $0.120 \pm 0.037$ | $0.115 \pm 0.030$ |
|  | $1 \times 10^{5}$ | $-0.059 \pm 0.077$ | $-0.085 \pm 0.043$ | $-0.037 \pm 0.034$ |



Figure 2.2: Example of a linearity test result. The horizontal axis $(\mathrm{f}(8 \mathrm{~s})$ $\left[\mathrm{e}^{-}\right]$) indicates electron counts in 8 seconds. The vertical axis shows the flux ratio parameter which is defined as $f(8 s)-2 \times f(4 s)\left[e^{-}\right]$.
to maintain the stellar position on the CCD. Additionally, it is important to maximize the received stellar photons for precise photometry. However, several pixels are saturated in less exposure time in focus. Therefore, we defocus stellar images to torus PSF for many pixels to be able to receive more photons.

The exposure times were 60 seconds for all the bands. We obtained 172,221 , and 220 frames for the $g_{2}^{\prime}-, r_{2}^{\prime}$, and $z_{\mathrm{s}, 2}$-bands, respectively, in 4.4 hours.

### 2.2 Data Reduction and Aperture Photometry

Our data reduction and aperture photometry method used the customized pipeline by Fukui et al. (2011). Firstly, we make the bad pixel mask using a merged flat image. We define outliers with greater than $3 \sigma$ in merged flat images as bad pixels. The values of the bad pixels are replaced with zero. Secondly, we subtract the merged dark image from the flat images and mask the bad pixels. The masked flat images are merged after being normalized. Finally, we subtract the merged dark image from the science frames and divide the science frames by the merged flat image.

In aperture photometry, we firstly detect the stellar barycenter on each frame. Then we obtain the shifts of the stellar position on the detector between each pair of consecutive images. Next, we photometer the target and the comparison star in the aperture radius centered on the stellar barycenter. We also measure the sky background by the torus region centered on the stellar barycenter. We calculate target and comparison flux by subtracting the sky background flux from the stellar flux. Finally, we obtain the relative flux by dividing the target flux by the comparison flux.

### 2.2.1 Light Curve Fitting

Our analysis method follows the method of Fukui et al. (2016). First, we make light curves using different combinations of comparison stars and various aperture radii. We choose comparison stars that are neither saturated nor variable stars and the aperture radius that produces a light curve with minimum dispersion outside the fading event. The selected aperture radii are 17,14 , and 12 pixels for the $g_{2^{-}}^{\prime}, r_{2^{-}}^{\prime}$, and $z_{\mathrm{s}, 2}$-bands, respectively, and the comparison stars are the same two stars for each band. Second, we convert the time system of Modified Julian Day (MJD) in Universal Time Coordinate (UTC), which is recorded in the FITS headers into Barycentric Julian Day (BJD) in Barycentric Dynamical Time (TDB) using the algorithm of Eastman, Siverd, \& Gaudi (2010). The produced light curves are shown in the top panels in Figure 2.3.

Next, we fit the light curves with a transit model, assuming that the fading event is caused by a transiting spherical body. We use the transit
light curve model by Ohta, Taruya, \& Suto (2009) which is comparable to the quadratic limb-darkening law case of Mandel \& Agol (2002). The transit modeling parameters are the time of the transit center $T_{\mathrm{c}}$, the ratio of the planetary-to-stellar radii $R_{\mathrm{p}} / R_{\mathrm{s}}$, the ratio of the semi-major axis to the stellar radius $a / R_{\mathrm{s}}$, and the impact parameter $b$. The variations seen outside the fading event seem to be caused by the variability of CVSO 30 itself or comparison stars, with changing of air mass, shifting of stellar images on the detector and so on. We fit the transit light curves and baseline model at the same time using customized code by Fukui et al. (2016), which is based on Narita et al. (2007) and Narita et al. (2013). A transit and out-of-transit (OOT) model is given by

$$
\begin{equation*}
F=\left(k_{0}+\sum_{i=1} k_{i} X_{i}\right) \times F_{\operatorname{tr}} \tag{2.1}
\end{equation*}
$$

where $F$ is the relative flux, $F_{\text {tr }}$ is the transit light curve model, $\{\mathbf{X}\}$ are time-dependent observed variables such as, for example, air mass, shifts of stellar position on the CCD, and so on, and $\{\mathrm{k}\}$ are coefficients (Fukui et al., 2016).

We fix the orbital eccentricity to zero and the limb-darkening parameters to the values from Claret, Hauschildt, \& Witte (2012), $\{u 1, u 2\}=$ $\{0.8067,0.0861\},\{0.8423,-0.0160\},\{0.2946,0.3569\}$ for the $g_{2}^{\prime}, r_{2}^{\prime}$, and $z_{\mathrm{s}, 2}$ bands, respectively. In addition, we put a Gaussian prior for $a / R s=$ $1.685 \pm 0.064$, based on the value obtained by van Eyken et al. (2012).

To choose the most appropriate combination of free parameters, we optimize the parameters using the AMOEBA algorithm (Press et al., 1992) and evaluate the Bayesian Information Criterion (BIC: Schwarz (1978)). The BIC value is defined by BIC $\equiv \chi^{2}+k \ln N$, where $k$ is the number of free parameters and $N$ is the number of data points. We calculate the BIC values for each light curve and parameter, then we pick out the combinations with the minimum BIC value for each band. For $\{\mathbf{X}\}$, we test different combinations of the time $t$, the square of time $t^{2}$, the airmass $z$, and the relative stellar positions on the CCD $\Delta x$ and $\Delta y$. Based on the minimum BIC, we adopt $k_{0}, k_{\mathrm{t}}$ for all bands.

To take into account the time-correlated noise (so-called red noise; e.g. Pont, Zucker, \& Queloz (2006); Winn et al. (2008)), we multiply each flux uncertainty by the red-noise factor $\beta$ which is the ratio of the observed standard deviation of the binned light curve to the expected standard deviation of the unbinned and non-time-correlated light curve. The binning sizes are between 5 and 20 minutes. We obtain the median of $\beta$ for each binning size and multiply the median $\beta$ by the uncertainty of each dataset. The typical photometric errors including $\beta$ are $2.1 \%, 0.87 \%$, and $0.54 \%$ for the $g_{2^{-}}^{\prime}, r_{2^{-}}^{\prime}$, and $z_{\mathrm{s}, 2}$-bands, respectively.

After that, to estimate the uncertainty of the free parameters, we analyze the chosen light curve by the Markov Chain Monte Carlo (MCMC) method
following Narita et al. (2013) and Fukui et al. (2016). We first independently analyze the light curves for each band, and after that we jointly analyze all the light curves. We calculate a MCMC chain with $10^{7}$ steps and the first $10^{6}$ steps are excluded as burn-in. We define $1 \sigma$ uncertainties as the range of the parameters between $15.87 \%$ and $84.13 \%$ of the merged posterior distributions.

### 2.3 Results

Table 2.1 shows the best-fit transit parameters and uncertainties obtained by the MCMC analysis. Note that we obtain consistent results when we fit the light curves that are produced by different baseline models with comparable BIC values. We show the transit light curves and the best-fit models of each observation in Figure 2.3.
van Eyken et al. (2012) and Yu et al. (2015) reported that the transit depth of CVSO 30 changes with the observational epoch. According to Yu et al. (2015), the loss of light was 20-30\% larger in the bluer band on 2012 Dec 14 at $r^{\prime}$ - and $I+z$-band, on 2014 Jan 9 and 2014 Jan 18 at $i^{\prime}$ - and $g^{\prime}$-band, and on 2014 Jan 19 at $I+z$ - and $H$-band, respectively. However, the loss of light in $r^{\prime}$ was essentially the same as in $I+z$ on 2012 Dec 15. We present the transit depth in $g_{2^{-}}^{\prime}, r_{2}^{\prime}$, and $z_{\mathrm{s}, 2}$-bands observed simultaneously. Figure 2.4 gives the wavelength dependence of $R_{\mathrm{p}} / R_{\mathrm{s}}$. The top panel shows the best-fit parameters for $R_{\mathrm{p}} / R_{\mathrm{s}}$ and their uncertainties for each band in Table 2.1. The uncertainties are influenced by the impact parameter $b$ which is grazing. We recalculate the $R_{\mathrm{p}} / R_{\mathrm{s}}$ and their uncertainties fixing the impact parameter at the median and $1 \sigma$ upper/lower limit $b=\{0.97,1.05,1.18\}$ to highlight the wavelength dependence of $R_{\mathrm{p}} / R_{\mathrm{S}}$ (Figure 2.4: bottom panel; Table 2.2). As the result, we find that the wavelength dependence in $R_{\mathrm{p}} / R_{\mathrm{s}}$ is apparent, regardless of the value of $b$.

Table 2.1: Best-fit parameters and the uncertainties

| Parameter | Value | Uncertainty |
| :---: | :---: | :---: |
| $T_{\mathrm{c}}\left[\mathrm{BJD}_{\text {TDB }}\right]$ | 2457428.0758 | ${ }_{-0.0014}^{+0.0017}$ |
| $a / R_{\mathrm{s}}$ | 1.730 | $\pm 0.061$ |
| $b$ | 1.054 | ${ }_{-0.086}^{+0.121}$ |
| $R_{\mathrm{p}} / R_{\text {S }}\left(g_{2}^{\prime}\right)$ | 0.344 | ${ }^{-}{ }^{+0.0075}$ |
| $R_{\mathrm{p}} / R_{\mathrm{s}}\left(r_{2}^{\prime}\right)$ | 0.271 | ${ }_{-0.0}^{+0.10}$ |
| $R_{\mathrm{p}} / R_{\mathrm{s}}\left(z_{\mathrm{s}, 2}\right)$ | 0.206 | ${ }_{-0.064}^{+0.104}$ |
| $k_{0}\left(g_{2}^{\prime}\right)$ | 1.0103 | ${ }_{-0.00434}^{+0.0055}$ |
| $k_{0}\left(r_{2}^{\prime}\right)$ | 1.0016 | ${ }_{-0.0014}^{+0.0017}$ |
| $k_{0}\left(z_{\mathrm{s}, 2}\right)$ | 0.99713 | -0.0080 ${ }_{\text {-0, }}^{+00074}$ |
| $k_{\mathrm{t}}\left(g_{2}^{\prime}\right)$ | 0.010 | - ${ }_{-0.049}^{+0.059}$ |
| $k_{\mathrm{t}}\left(r_{2}^{\prime}\right)$ | 0.018 | ${ }_{-0.017}^{+0.019}$ |
| $k_{\mathrm{t}}\left(z_{\mathrm{s}, 2}\right)$ | -0.0489 | - ${ }_{-0.0087}^{+0.00933}$ |

Table 2.2: $R_{\mathrm{p}} / R_{\mathrm{s}}$ and the uncertainties in case of various fixed impact parameters for each band

| Filter | Impact parameter $b$ | $R_{\mathrm{p}} / R_{\mathrm{s}}$ |
| :--- | :---: | :---: |
| $g_{2}^{\prime}$ | 0.97 | $0.273_{-0.026}^{+0.024}$ |
|  | 1.05 | $0.342_{-0.027}^{+0.025}$ |
|  | 1.18 | $0.451 \pm 0.028$ |
| $r_{2}^{\prime}$ | 0.97 | $0.205_{-0.012}^{+0.011}$ |
|  | 1.05 | $0.270 \pm 0.012$ |
|  | 1.18 | $0.376_{-0.013}^{+0.012}$ |
| $z_{\mathrm{s}, 2}$ | 0.97 | $0.1422_{-0.0092}^{+0.0086}$ |
|  | 1.05 | $0.2057_{-0.0092}^{+0.0087}$ |
|  | 1.18 | $0.3099_{-0.0090}^{+0.0086}$ |



Figure 2.3: Top panels: Gray dots are the raw light curves of CVSO 30 observed by $g_{2}^{\prime}$, $r_{2}^{\prime}$, and $z_{\mathrm{s}, 2}$-bands from the left. The black open circles are 0.01 days binned data. The solid lines are the best-fit transit models. Middle Panels: Light curves corrected by the baseline correction. Bottom panels: Residuals between the observed data and the best-fit model.


Figure 2.4: Top panel: The best-fit parameter and uncertainty of $R_{\mathrm{p}} / R_{\mathrm{s}}$ in $g_{2^{-}}^{\prime}, r_{2^{-}}^{\prime}$, and $z_{\mathrm{s}, 2}$-band from Table 2.1. Bottom panel: The wavelength dependence of $R_{\mathrm{p}} / R_{\mathrm{s}}$ at the impact parameter fixed by $b=\{0.97,1.05,1.18\}$

## Chapter 3

## Long-term Observations for CVSO 30

CVSO 30 is reported to have light curve variations with observational epoch. To understand this, we need a long-term observation. Following the first simultaneous three-color photometry of CVSO 30 to inspect the origin of fading events, we have conducted the first near-infrared long-term photometry of CVSO 30 over three years. In this chapter, we describe in detail the observations, analysis, and results. The discussion is presented in Chapter 4, based on the combined results of this and the previous chapters.

### 3.1 Observations

### 3.1.1 Instrument

The Okayama Astrophysical Observatory (OAO) 188-cm telescope and the Multicolor Simultaneous Camera for studying Atmospheres of Transiting exoplanets (MuSCAT) are described in Section 2.1.1.

The near-infrared imaging and spectroscopic instrument ISLE (Yanagisawa et al., 2006, 2008) on the Cassegrain focus of the OAO 188-cm telescope is an instrument for capturing near-infrared images or spectroscopic data. ISLE has a HAWAII $1 \mathrm{k} \times 1 \mathrm{k} \mathrm{HgCdTe}$ array and a $4.3 \times 4.3 \mathrm{arcmin}^{2}$ field of view. The pixel scale is $0.25 \mathrm{arcsec} / \mathrm{pixel}$. The available filters are $J-, H-$, $K-, K_{\mathrm{s}^{-}}$, and some narrow-band filters.

### 3.1.2 Transit Observations

We observed 11 fading events of CVSO 30 with ISLE on OAO $188-\mathrm{cm}$ telescope and one fading event with MuSCAT from 2012 to 2016. We used the $J$-band filter for ISLE observations and the $g_{2^{-}}^{\prime}, r_{2}^{\prime}$, and $z_{\mathrm{s}, 2}$-bands simultaneously for MuSCAT observations. The observation dates are summarized in Table 3.1.

Table 3.1: Summary of the observations

| UT Date | Instrument | Filter | No. of data points | Exposure time [s] |
| :--- | :---: | :---: | :---: | :---: |
| 2012 Nov. 27 | ISLE | J | 342 | 60 |
| 2012 Dec. 1 | ISLE | J | 178 | 60 |
| 2013 Dec. 2 | ISLE | J | 107 | 120 |
| 2014 Jan. 24 | ISLE | J | 91 | 120 |
| 2014 Feb. 10 | ISLE | J | 99 | 120 |
| 2014 Feb. 19 | ISLE | J | 95 | 120 |
| 2014 Nov. 18 | ISLE | J | 77 | 120 |
| 2014 Nov. 22 | ISLE | J | 188 | 120 |
| 2014 Dec. 5 | ISLE | J | 140 | 120 |
| 2015 Jan. 10 | ISLE | J | 153 | 120 |
| 2015 Dec. 1 | ISLE | J | 205 | 120 |
| 2016 Feb. 9 | MuSCAT | $g_{2}^{\prime}$ | 172 | 60 |
| 2016 Feb. 9 | MuSCAT | $r_{2}^{\prime}$ | 221 | 60 |
| 2016 Feb. 9 | MuSCAT | $z_{\mathrm{s}, 2}$ | 220 | 60 |

To achieve high-precision photometry, we did not dither but fixed the target position on the detector, and defocused the stellar PSF (see Section 2.1.2). For the ISLE observations, we can use not only the self-autoguiding software but also the off-set autoguider. The self-autoguiding software is used in the observations after 2014 on both ISLE and MuSCAT.

### 3.2 Analysis

Our data reduction and aperture photometry method used the customized pipeline by Fukui et al. (2011), as described in Section 2.2. The light curve transit fitting method was also similar to Fukui et al. (2016), but we simultaneously fit the 14 light curves. Barnes et al. (2013) pointed out the possibility of precession of the planetary orbit. When the planetary orbit precesses, the transit impact parameter varies because of the change in the orbital inclination. To consider the origin of fading events, we give an independent $R_{\mathrm{p}} / R_{\mathrm{s}}$ and $b$ for each light curve and a common $a / R_{\mathrm{s}}$.

Some light curves observed in 2014-2015 exhibit "double fading," which occurs after the first fading. In other words, there are two bottoms in one fading epoch. Therefore, we fit the light curves simultaneously for the first and second fading. When we fit the second fading, we mask the first fading by eye, and vice versa. Light curves with separated first and second fadings were observed on November 22, 2014, January 10, 2015, and December 1, 2015.

### 3.3 Results

Tables 3.2, 3.3, 3.4, and 3.5 show the best-fit transit parameters and uncertainties for the long-term observations obtained by the MCMC analysis. We show the transit light curves and the best-fit models of each observation in Figure 3.1, 3.2, 3.3, and 3.4.

As shown in the figures, the fading shapes of the light curves vary with observational epoch. This is a similar phenomenon to that reported by van Eyken et al. (2012), Yu et al. (2015) and Raetz et al. (2016). To solve the origin of shape changing, we give an independent $R_{\mathrm{p}} / R_{\mathrm{s}}$ and $b$ for each light curve. Additionally, we find "double fading" in one observational epoch on 2014 November 22 (JD 2456984), 2015 January 10 (JD 2457032), and 2015 December 1 (JD 2457358). Double fading events are previously unreported phenomena.

To understand these double fading events, we give the individual fitting parameters for the first and second fading events when double fading events are observed. For example, to fit the first fading event, we remove the data at the second fading in a visual way. We then fit the light curve without the second fading by the transit model. On the other hand, we employ the light curve without the data at first fading for to fit the second fading event. Accordingly, we obtain the two transiting parameter sets which are $T_{\mathrm{c}}, b$, $R_{\mathrm{p}} / R_{\mathrm{s}}$ and baseline correction factors for one double fading light curve. This assumption corresponds to two objects independently orbiting the host star.

The variations of $R_{\mathrm{p}} / R_{\mathrm{s}}$ and $b$ are shown in Figures 3.11 and 3.12, respectively. These time variations include the degeneracy between $R_{\mathrm{p}} / R_{\mathrm{s}}$ and $b$ due to the obtained grazing orbit. Hence, these parameters have potentially more uncertainty than the best-fit parameters. However, either or both of $R_{\mathrm{p}} / R_{\mathrm{s}}$ and $b$ certainly exhibit large fluctuations. We will discuss these results for the long-term observations in the next chapter, combined with the results of Chapter 2.

Table 3.2: Best-fit parameters and uncertainties

\begin{tabular}{|c|c|c|}
\hline Common parameter \& Value \& Uncertainty <br>
\hline $a / R_{\text {S }}$ \& 2.189 \& $$
\begin{aligned}
& +0.025 \\
& { }_{-0.025}^{+0 .}
\end{aligned}
$$ <br>
\hline Independent parameter \& \& <br>
\hline 2012 Nov. 27 \& Value \& Uncertainty <br>
\hline $T_{\mathrm{c}}\left[\mathrm{BJD}_{\mathrm{TDB}}-2450000\right]$ \& 6259.14947 \& ${ }^{+0.00056}$ <br>
\hline $b$ \& 0.722 \& ${ }^{+0.017}{ }_{-0.017}^{+0.000}$ <br>
\hline $R_{\mathrm{p}} / R_{\text {s }}$ \& 0.115 \& - ${ }_{-0}^{+0.002}$ <br>
\hline duration [days] \& 0.0518 \& +0.0009

-0.0008 <br>
\hline $k_{0}$ \& 0.9127 \& ${ }_{-0.0030}^{+0.0023}$ <br>
\hline $k_{\text {t }}$ \& 0.2220 \& ${ }_{-0.0056}^{+0.0056}$ <br>
\hline $k_{\text {t }}{ }^{2}$ \& -3.71 \& -0.06
+0.07 <br>
\hline $k_{\mathrm{z}}$ \& 0.0797 \& ${ }_{-0}^{+0.00219}$ <br>
\hline $k_{\text {x }}$ \& 0.0 \& (fixed) <br>
\hline $k_{\text {y }}$ \& 0.0 \& (fixed) <br>
\hline 2012 Dec. 1 \& Value \& Uncertainty <br>

\hline $T_{\mathrm{c}}$ [BJD $\left.{ }_{\text {TDB }}-2450000\right]$ \& 6263.17009 \& $$
\begin{aligned}
& +0.00085 \\
& -0.00084 \\
& { }_{-0}
\end{aligned}
$$ <br>

\hline $b$ \& 0.888 \& ${ }_{-0.012}^{+0.027}$ <br>
\hline $R_{\mathrm{p}} / R_{\text {s }}$ \& 0.096 \& - ${ }_{-0.004}^{+0.006}$ <br>
\hline duration [days] \& 0.0426 \& ${ }_{-0.0007}^{+0.0008}$ <br>
\hline $k_{0}$ \& 1.1086 \& ${ }_{-0.0036}^{+0.0033}$ <br>
\hline $k_{\text {t }}$ \& 0.1369 \& ${ }_{-0.0047}^{+0.0044}$ <br>
\hline $k_{\text {t }}{ }^{2}$ \& 0.0 \& (fixed) <br>
\hline $k_{\mathrm{z}}$ \& -0.0848 \& ${ }_{-0.0027}^{+0.0027}$ <br>
\hline $k_{\text {x }}$ \& -0.00048 \& ${ }_{-0.00012}^{+0.0008}$ <br>
\hline $k_{\mathrm{y}}$ \& 0.0 \& (fixed) <br>
\hline 2013 Dec. 2 \& Value \& Uncertainty <br>
\hline $T_{\mathrm{c}}$ [ $\left.\mathrm{BJD}_{\mathrm{TDB}}-2450000\right]$ \& 6629.07668 \& ${ }_{-0.00051}^{+0.0060}$ <br>
\hline $b$ \& 1.056 \& ${ }_{-0.016}^{+0.019}$ <br>
\hline $R_{\mathrm{p}} / R_{\text {s }}$ \& 0.246 \& -0.016
+0.015
-0.013 <br>
\hline duration [days] \& 0.0487 \& +0.0009

-0.0008 <br>
\hline $k_{0}$ \& 0.8959 \& ${ }_{-0.0021}^{+0.0016}$ <br>
\hline $k_{\text {t }}$ \& 0.5100 \& ${ }^{-0}{ }_{-0}^{+0.0091}$ <br>
\hline $k_{\text {t }}{ }^{2}$ \& -4.36 \& -0.0.11
+0.09
+0.091 <br>

\hline $k_{\mathrm{z}}$ \& 0.0701 \& $$
\begin{array}{r}
-0.09 \\
+0.0012
\end{array}
$$

$$
\begin{aligned}
& +0.0010 \\
& -0.0012
\end{aligned}
$$ <br>

\hline $k_{\text {x }}$ \& -0.00847 \& ${ }_{-0.00073}^{+0.00066}$ <br>
\hline $k_{\text {y }}$ \& 0.0 \& (fixed) <br>
\hline
\end{tabular}

Table 3.3: Continuation of table 3.2.

| Independent parameter |  |  |
| :---: | :---: | :---: |
| 2014 Jan. 24 | Value | Uncertainty |
| $T_{\mathrm{c}}$ [BJD $\left._{\text {TDB }}-2450000\right]$ | 6681.97456 | ${ }_{-0.00037}^{+0.00035}$ |
| $b$ | 0.704 | +0.014 |
| $R_{\mathrm{p}} / R_{\mathrm{s}}$ | 0.132 | ${ }_{-0.002}^{+0.002}$ |
| duration [days] | 0.0568 | - ${ }^{-0.00010}{ }_{-0.009}^{+0.000}$ |
| $k_{0}$ | 1.0048 | ${ }_{-0.0004}^{+0.0004}$ |
| $k_{\text {t }}$ | 0.1015 | ${ }_{-0.0047}^{+0.0049}$ |
| $k_{\text {t }}{ }^{2}$ | -1.49 | ${ }_{-0.13}^{+0.13}$ |
| $k_{\mathrm{z}}$ | 0.0 | (fixed) |
| $k_{\text {x }}$ | 0.0 | (fixed) |
| $k_{\text {y }}$ | 0.0 | (fixed) |
| 2014 Feb. 10 | Value | Uncertainty |
| $T_{\mathrm{c}}$ [BJD $\left._{\text {TDB }}-2450000\right]$ | 6699.01860 | ${ }_{-0.00055}^{+0.00051}$ |
| $b$ | 0.846 | ${ }_{-0.023}^{+0.017}$ |
| $R_{\mathrm{p}} / R_{\mathrm{s}}$ | 0.138 | ${ }^{-10.0036}{ }^{+0.0005}$ |
| duration [days] | 0.0538 | ${ }_{-0.0008}^{+0.0009}$ |
| $k_{0}$ | 1.0083 | ${ }_{-0.0004}^{+0.0004}$ |
| $k_{\text {t }}$ | 0.0111 | ( |
| $k_{\mathrm{t}^{2}}$ | -2.10 | ${ }_{-0.08}^{+0.15}$ |
| $k_{\mathrm{z}}$ | 0.0 | (fixed) |
| $k_{\text {x }}$ | 0.0 | (fixed) |
| $k_{\text {y }}$ | 0.0 | (fixed) |
| 2014 Feb. 19 | Value | Uncertainty |
| $T_{\text {c }}\left[\mathrm{BJD}_{\text {TDB }}-2450000\right]$ | 6707.98112 | ${ }_{-0.00142}^{+0.00151}$ |
| $b$ | 0.687 | ${ }_{-0.061}^{+0.0472}$ |
| $R_{\mathrm{p}} / R_{\mathrm{s}}$ | 0.130 | ${ }_{-0.003}^{+0.004}$ |
| duration [days] | 0.0579 | ${ }_{-0.0009}^{+0.0010}$ |
| $k_{0}$ | 0.9244 | ${ }_{-0.0023}^{+0.0012}$ |
| $k_{\text {t }}$ | 0.0588 | ${ }_{-0.0111}^{+0.0076}$ |
| $k_{\mathrm{t}^{2}}$ | -5.77 | +0.14 |
| $k_{\mathrm{z}}$ | 0.0727 | ${ }_{-0.0008}^{+0.0015}$ |
| $k_{\text {x }}$ | 0.0 | (fixed) |
| $k_{\text {y }}$ | 0.0 | (fixed) |
| 2014 Nov. 18 | Value | Uncertainty |
| $T_{\mathrm{c}}\left[\mathrm{BJD}_{\text {TDB }}-2450000\right]$ | 6980.10328 | $\begin{aligned} & +0.00090 \\ & { }_{-0.00152}^{+0} \end{aligned}$ |
| $b$ | 0.632 | $\begin{array}{r} +0.080 \\ { }_{-0}^{+0.035} \end{array}$ |
| $R_{\mathrm{p}} / R_{\mathrm{s}}$ | 0.144 | ${ }_{-0.003}^{+0.003}$ |
| duration [days] | 0.0660 | ${ }_{-0.0010}^{+0.0011}$ |
| $k_{0}$ | 1.0038 | ${ }_{-0.0005}^{+0.0005}$ |
| $k_{\text {t }}$ | -0.2926 | ${ }_{-0.0103}^{+0.0084}$ |
| $k_{\text {t }}{ }^{2}$ | 2.10 | ${ }_{-0.13}^{+0.17}$ |
| $k_{\mathrm{z}}$ | 0.0 | (fixed) |
| $k_{\text {x }}$ | 0.0 | (fixed) |
| $k_{\text {y }}$ | -0.00037 | ${ }_{-0.00031}^{+0.00030}$ |

Table 3.4: Continuation of table 3.3.

| Independent parameter 2014 Nov. 22 | First fading |  | Second fading |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Value | Uncertainty | Value | Uncertainty |
| $T_{\mathrm{c}}\left[\mathrm{BJD}_{\text {TDB }}-2450000\right]$ | 6984.15002 | ${ }_{-0.00034}^{+0.0031}$ | 6984.19868 | ${ }_{-0.00047}^{+0.00050}$ |
| $b$ | 1.061 | ${ }_{-0.035}^{+0.045}$ | 0.888 | ${ }_{-0.013}^{+0.015}$ |
| $R_{\mathrm{p}} / R_{\mathrm{s}}$ | 0.232 | ${ }_{-0.027}^{+0.037}$ | 0.109 | ${ }_{-0.003}^{+0.005}$ |
| duration [days] | 0.0447 | ${ }_{-0.0007}^{+0.0008}$ | 0.0436 | ${ }_{-0.0007}^{+0.0008}$ |
| $k_{0}$ | 1.0453 | ${ }_{-0.0029}^{+0.0065}$ | 1.0074 | ${ }_{-0.0002}^{+0.0002}$ |
| $k_{\text {t }}$ | -0.0905 | ${ }^{\text {- }}$ | -0.0605 | - ${ }^{-0.0027}{ }^{+0.00023}$ |
| $k_{\mathrm{t}^{2}}$ | 1.75 | ${ }_{-0.09}^{+0.17}$ | 0.0 | (fixed) |
| $k_{\text {z }}$ | -0.0375 | ${ }_{-0.0056}^{+0.0026}$ | 0.0 | (fixed) |
| $k_{\text {x }}$ | 0.0 | (fixed) | 0.0 | (fixed) |
| $k_{\text {y }}$ | 0.0 | (fixed) | -0.00289 | $\begin{array}{r} +0.00040 \\ -0.00030 \end{array}$ |
| 2014 Dec. 5 | Value | Uncertainty |  |  |
| $T_{\mathrm{c}}\left[\mathrm{BJD}_{\text {TDB }}-2450000\right]$ | 6997.15430 | ${ }_{-0.00056}^{+0.00054}$ |  |  |
| $b$ | 1.041 | ${ }_{-0.057}^{+0.0072}$ |  |  |
| $R_{\mathrm{p}} / R_{\mathrm{s}}$ | 0.211 | ${ }_{-0.042}^{+0.057}$ |  |  |
| duration [days] | 0.0449 | ${ }_{-0.0007}^{+0.0008}$ |  |  |
| $k_{0}$ | 0.9940 | - ${ }_{-0.0002}^{+0.00022}$ |  |  |
| $k_{\text {t }}$ | 0.0105 | ${ }_{-0.0030}^{+0.0030}$ |  |  |
| $k_{\mathrm{t}^{2}}$ | 0.81 | ${ }_{-0.03}^{+0.03}$ |  |  |
| $k_{\text {z }}$ | 0.0 | (fixed) |  |  |
| $k_{\mathrm{x}}$ | 0.0 | (fixed) |  |  |
| $k_{\text {y }}$ | 0.0 | (fixed) |  |  |
| 2015 Jan. 10 | Value | Uncertainty | Value | Uncertainty |
| $T_{\mathrm{c}}\left[\mathrm{BJD}_{\text {TDB }}-2450000\right]$ | 7033.02545 | ${ }_{-0.00047}^{+0.00048}$ | 7033.06933 | ${ }_{-0.00123}^{+0.00153}$ |
| $b$ | 0.842 | ${ }_{-0.010}^{+0.010}$ | 1.026 | ${ }_{-0.034}^{+0.0763}$ |
| $R_{\mathrm{p}} / R_{\mathrm{s}}$ | 0.105 | ${ }_{-0}^{+0.003}$ | 0.122 | ${ }_{\text {+ }}{ }^{-0.0064}$ |
| duration [days] | 0.0477 | - ${ }_{-0.0007}^{+0.00008}$ | 0.0348 | - ${ }_{-0.0006}^{+0.00007}$ |
| $k_{0}$ | 1.0085 | ${ }_{-0.0009}^{+0.0012}$ | 1.0100 | ${ }_{-0.0011}^{+0.0007}$ |
| $k_{\text {t }}$ | -0.1442 | ${ }_{-0.0034}^{+0.0037}$ | -0.1384 | ${ }_{-0.0036}^{+0.0039}$ |
| $k_{\mathrm{t}^{2}}$ | 0.0 | (fixed) | 0.0 | (fixed) |
| $k_{\mathrm{z}}$ | -0.0090 | ${ }_{-0.0009}^{+0.0008}$ | -0.0094 | ${ }_{-0.0006}^{+0.0009}$ |
| $k_{\text {x }}$ | 0.0 | (fixed) | 0.0 | (fixed) |
| $k_{\text {y }}$ | 0.0 | (fixed) | 0.0 | (fixed) |
| 2015 Dec. 1 | Value | Uncertainty |  |  |
| $T_{\mathrm{c}}\left[\mathrm{BJD}_{\text {TDB }}-2450000\right]$ | 6980.13220 | ${ }_{-0.00050}^{+0.0051}$ | 6980.17678 | ${ }_{-0.00038}^{+0.00038}$ |
| $b$ | 0.974 | ${ }_{-0.020}^{+0.017}$ | 1.165 | ${ }_{-0.069}^{-0.0037}$ |
| $R_{\mathrm{p}} / R_{\mathrm{s}}$ | 0.142 | ${ }_{-0.013}^{+0.011}$ | 0.327 | ${ }_{-0.060}^{+0.041}$ |
| duration [days] | 0.0442 | $\begin{array}{r} -0.00008 \\ \hline-0.0007 \\ -0.0007 \end{array}$ | 0.0493 | +0.00009 ${ }_{-0.0008}$ |
| $k_{0}$ | 1.0460 | ${ }_{-0.0013}^{+0.0025}$ | 1.0272 | ${ }^{+0.00036}$ |
| $k_{\text {t }}$ | -0.0826 | ${ }_{-0.0031}^{+0.0026}$ | -0.0594 | ${ }_{-0.0043}^{+0.0057}$ |
| $k_{\text {t }}{ }^{2}$ | 1.72 | $\begin{aligned} & +0.08 \\ & +{ }_{-0.05}^{0} \end{aligned}$ | 1.13 | ${ }_{-0.14}^{+0.10}$ |
| $k_{\text {z }}$ | -0.0406 | ${ }_{-0.0022}^{+0.0011}$ | -0.0241 | ${ }_{-0.0031}^{+0.0036}$ |
| $k_{\text {x }}$ | 0.0 | (fixed) | 0.0 | (fixed) |
| $k_{\text {y }}$ | 0.0 | (fixed) | 0.0 | (fixed) |

Table 3.5: Continuation of table 3.4.

| Independent parameter 2016 Feb. $9\left(g_{2}^{\prime}\right)$ | Value | Uncertainty |
| :---: | :---: | :---: |
| $T_{\mathrm{c}}\left[\mathrm{BJD}_{\text {TDB }}-2450000\right]$ | 7428.07422 | ${ }_{-0.00095}^{+0.00094}$ |
| $b$ | 1.125 | $\begin{gathered} -0.00005 \\ +0.101 \end{gathered}$ |
| $R_{\mathrm{p}} / R_{\mathrm{s}}$ | 0.406 | ${ }_{-0.160}^{+0.088}$ |
| duration [days] | 0.0617 | ${ }_{-0.0010}^{+0.0011}$ |
| $k_{0}$ | 1.0060 | ${ }_{-0.0030}^{+0.0027}$ |
| $k_{\text {t }}$ | -0.0250 | ${ }_{-0.0302}^{+0.0265}$ |
| $k_{\mathrm{t}^{2}}$ | 0.0 | (fixed) |
| $k_{\text {z }}$ | 0.0 | (fixed) |
| $k_{\text {x }}$ | 0.0 | (fixed) |
| $k_{\text {y }}$ | 0.0 | (fixed) |
| 2016 Feb. $9\left(r_{2}^{\prime}\right)$ | Value | Uncertainty |
| $T_{\mathrm{c}}\left[\mathrm{BJD}_{\text {TDB }}-2450000\right]$ | 7428.07422 | ${ }_{-0.00095}^{+0.00094}$ |
| $b$ | 1.125 | ${ }_{-0.204}^{+0.101}$ |
| $R_{\mathrm{p}} / R_{\mathrm{s}}$ | 0.333 | ${ }^{+0.092}$ |
| duration [days] | 0.0539 | ${ }_{-0.0009}^{+0.00010}$ |
| $k_{0}$ | 0.9998 | ${ }_{-0.0011}^{+0.0011}$ |
| $k_{\text {t }}$ | -0.0007 | ${ }_{-0.0110}^{+0.0118}$ |
| $k_{\mathrm{t}^{2}}$ | 0.0 | (fixed) |
| $k_{\text {z }}$ | 0.0 | (fixed) |
| $k_{\text {x }}$ | 0.0 | (fixed) |
| $k_{\text {y }}$ | 0.0 | (fixed) |
| 2016 Feb. $9\left(z_{\mathrm{s}, 2}\right)$ | Value | Uncertainty |
| $T_{\mathrm{c}}\left[\mathrm{BJD}_{\text {TDB }}-2450000\right]$ | 7428.07422 | ${ }_{-0.00095}^{+0.0094}$ |
| $b$ | 1.125 | ${ }_{-0.204}^{+0.101}$ |
| $R_{\mathrm{p}} / R_{\mathrm{s}}$ | 0.271 | ${ }_{-0.148}^{+0.092}$ |
| duration [days] | 0.0450 | ${ }_{-0.0007}^{+0.0008}$ |
| $k_{0}$ | 0.9955 | ${ }_{-0.0006}^{+0.0008}$ |
| $k_{\text {t }}$ | -0.0567 | ${ }_{-0.0062}^{+0.0074}$ |
| $k_{\mathrm{t}^{2}}$ | 0.0 | (fixed) |
| $k_{\text {z }}$ | 0.0 | (fixed) |
| $k_{\text {x }}$ | 0.0 | (fixed) |
| $k_{\text {y }}$ | 0.0 | (fixed) |



Figure 3.1: Raw light curves of CVSO 30 (upper panels), the light curves corrected by the baseline correction (middle panels), and the residuals between the observed data and the best-fit model (lower panels). The gray dots represent relative flux data. The black open circles represent 0.01 days binned data. The solid lines represent the best-fit transit models. The top panels show the data observed on 2012 November 27 and the bottom panels show the data observed on 2012 December 1.


Figure 3.2: Same as Figure 3.1, but observed on 2013 December 2 (top panels) and 2014 January 24 (bottom panels).


Figure 3.3: Same as Figure 3.2, but observed on 2014 February 10 (top panels), 2014 February 19 (upper right).


Figure 3.4: Same as Figure 3.3, but observed on 2014 November 18.


Figure 3.5: Same as Figure 3.4, but observed on 2014 November 22. Top panels are corrected by the first fading event and bottom panels are corrected by the second fading event.


Figure 3.6: Same as Figure 3.5, but observed on 2014 December 5.


Figure 3.7: Same as Figure 3.6, but observed on 2015 January 10. Top panels are corrected by the first fading event and bottom panels are corrected by the second fading event.


Figure 3.8: Same as Figure 3.7, but observed on 2015 December 1. Top panels are corrected by the first fading event and bottom panels are corrected by the second fading event.


Figure 3.9: Same as Figure 3.8, but observed on 2016 February 9. Top panels are observed in the $g_{2}^{\prime}$-band and bottom panels are observed in the $r_{2}^{\prime}$-band.


Figure 3.10: Same as Figure 3.9, but observed on 2016 February 9 in the $z_{\mathrm{s}, 2}$-band.


Figure 3.11: Time evolution of fitted $R_{\mathrm{p}} / R_{\mathrm{s}}$. The black points show $R_{\mathrm{p}} / R_{\mathrm{s}}$ of single fading events observed in the $J$-band. The magenta points show $R_{\mathrm{p}} / R_{\mathrm{s}}$ of the first of the double fading events observed in the $J$-band. The black points show $R_{\mathrm{p}} / R_{\mathrm{s}}$ of the second of the double fading events observed in the $J$-band. The blue, green and red points show $R_{\mathrm{p}} / R_{\mathrm{s}}$ of single fading events observed in the $g_{2}^{\prime}, r_{2}^{\prime}$ and $z_{\mathrm{s}, 2}$-band, respectively.


Figure 3.12: Time evolution of fitted $b$. The red points show $b$ of single fading events. The green points show $b$ of the first of the double fading events. The blue points show $b$ of the second of the double fading events.

## Chapter 4

## Discussion

We found the wavelength dependence of fading depth in Chapter 2. Further, we found the double fading events and the variations of best-fit transit parameters in Chapter 3. In this chapter, we discuss these results and the origin of the fading events of CVSO 30.

### 4.1 Wavelength Dependence of the Fading Depth

The shape of each fading light curve CVSO 30 varies with the observational epoch, with some showing large fading and others showing small fading (van Eyken et al., 2012). Therefore, multicolor simultaneous observations are necessary to discuss the wavelength dependence of light curves. The previous multicolor observations were performed in two bands (Yu et al., 2015; Raetz et al., 2016). To precisely consider wavelength dependence, we observe in three bands simultaneously. The apparent $R_{\mathrm{p}} / R_{\mathrm{s}}$ is larger at shorter wavelengths, $40-90 \%$ larger for $g_{2}^{\prime}-z_{\mathrm{s}, 2}$, and $20-50 \%$ larger for $r_{2}^{\prime}-z_{\mathrm{s}, 2}$. Now, the atmospheric scaleheight $H$ is

$$
\begin{equation*}
H=\frac{k_{B} T}{\mu g} \tag{4.1}
\end{equation*}
$$

where $k_{B}$ is the Boltzmann constant, $T$ is the atmospheric temperature, $\mu$ is a mean molecular weight, which is $\mu \approx 2.3$ for a $\mathrm{H} / \mathrm{He}$-dominated atmosphere (e.g. de Wit \& Seager (2013)), and $g$ is the local gravity. We assume a planet candidate equilibrium temperature of 1800 K , a planetary mass of $0.9 M_{\text {Jup }}$ from the upper limit of Ciardi et al. (2015), a planetary radius of $2.8 R_{\mathrm{Jup}}$ from $R_{\mathrm{p}} / R_{\mathrm{s}}$ of this work, and a stellar radius of 1.39 $R_{\odot}$ (Briceño et al., 2005). Then, the calculated scale height $H$ is 2300 km , corresponding to $0.0023 R_{\mathrm{p}} / R_{\mathrm{s}}$. Therefore, the variation between the $r_{2^{-}}^{\prime}$ and $z_{\mathrm{s}, 2}$-bands is 30 H and that between the $g_{2}^{\prime}$ and the $z_{\mathrm{s}, 2}$-bands is 60 $H$. In comparison to the variation of HD 189733b from Sing et al. (2011, Figure 14), the radius variation of HD 189733b between 630 and 880 nm
(corresponding to the $r_{2}^{\prime}$ - and the $z_{\mathrm{s}, 2^{-}}$-bands) is $1.5 H$ and between 490 and 880 nm (corresponding to the $g_{2}^{\prime}$ - and the $z_{\mathrm{s}, 2}$-bands) is 2.5 H . In addition, we compare the wavelength dependence with cloudless Rayleigh scattering following Southworth et al. (2015). The slope of the planetary radius as a function of the wavelength is

$$
\begin{equation*}
\alpha H=\frac{\mathrm{d} R_{\mathrm{p}}(\lambda)}{\mathrm{d} \ln \lambda} \tag{4.2}
\end{equation*}
$$

where $\alpha$ is a power-law coefficient $\alpha=-4$ in Rayleigh scattering, and $\lambda$ is wavelength. The corresponding differential radius is 63000 km for the $r_{2}^{\prime}-$ band vs the $z_{\mathrm{s}, 2}$-band and 130000 km for the $g_{2}^{\prime}$-band vs the $z_{\mathrm{s}, 2}$-band. This result yields that $\alpha$ is -80 to -100 . Therefore, the wavelength dependence of the fading event of CVSO 30 is too large to be explained by the atmospheric Rayleigh scattering of a gas giant.

Here, we discuss the influence of gravity-darkening (von Zeipel, 1924). Barnes et al. (2013) and Howarth (2016) explained the changes in the shape of the transit light curve with gravity-darkening. The intensity distribution on the gravity-darkened star varies with observing wavelengths, and therefore the transit light curves have wavelength dependence (Barnes, 2009). Now, we test whether the wavelength dependence is explainable in terms of the gravity-darkening effects. We calculate the $g_{2^{-}}^{\prime}, r_{2^{-}}^{\prime}$, and $z_{\mathrm{s}, 2}$-band model light curve with gravity-darkening under the condition that the largest wavelength dependence is expected. The derivation of the intensity distribution uses numerical integration with the formula by Barnes (2009). We assume the most effectively gravity-darkening case, the stellar obliquity $90^{\circ}$ poleon orbit, the impact parameter $b=0$ and $R_{\mathrm{p}} / R_{\mathrm{s}}=0.11$ to approximate the observed transit depth in the $r_{2}^{\prime}$-band. We also fix $a / R_{\mathrm{s}}$ as the best-fit parameter in Table 2.1, limb-darkening parameter with the same value in Section 2.2, the stellar rotational velocity as $120 \mathrm{~km} / \mathrm{s}$ obtained by the stellar radius and the rotational period as $0.4481 \pm 0.0022$ days as described in van Eyken et al. (2012). The uncertainty of the wavelength dependence in gravity-darkening is determined by the uncertainty of the rotational velocity. The uncertainty of stellar radius $\sim 0.1 M_{\odot}$ is dominant, whereas the error of the rotational period 0.002 days is not effective for the wavelength dependence. This error correspond to the gravity-darkened depth error of $0.05 \%$.

The derived gravity-darkened model light curve including the gravitydarkening effect is shown in Figure 4.1. The transit depths with gravitydarkening are $2.0 \%, 1.9 \%$, and $1.6 \%$ for the $g_{2}^{\prime}$-, $r_{2^{\prime}}^{\prime}$, and $z_{\mathrm{s}, 2}$-bands, respectively (Table 4.1). The wavelength dependence caused by gravity-darkening is weak and not able to reproduce the observational depths $3.1 \%, 1.7 \%$, and $1.0 \%$ for the $g_{2^{-}}^{\prime}, r_{2^{-}}^{\prime}$, and $z_{\mathrm{s}, 2}$-band, respectively. In other words, the observed wavelength dependence of the depths is too large and cannot be explained by the gravity-darkening effect alone.


Figure 4.1: Model light curve including gravity-darkening effect.

Table 4.1: Comparison between the observed depth and the gravitydarkened transit model depth

| Filter | observed depth [\%] | gravity-darkened model depth [\%] |
| :--- | :---: | :---: |
| $g_{2}^{\prime}$ | $3.0811_{-0.0035}^{+0.0151}$ | 1.98 |
| $r_{2}^{\prime}$ | $1.7270_{-0.0055}^{+0.0108}$ | 1.89 |
| $z_{\mathrm{s}, 2}$ | $1.0191_{-0.0019}^{+0.081}$ | 1.59 |

### 4.2 Time Evolution of Best-fit Parameters and Double Fading Events

Yu et al. (2015) and Raetz et al. (2016) found that the periodicity of fading events of CVSO 30 is not constant but decreasing. They argued that the times of fading centers were expressed as a quadratic function. The fading timing equation following to Yu et al. (2015) is written as

$$
\begin{equation*}
T_{\mathrm{n}}=T_{0}+n P_{0}+\frac{1}{2} \frac{\mathrm{~d} P}{\mathrm{~d} n} n^{2} \tag{4.3}
\end{equation*}
$$

where $T_{\mathrm{n}}$ is the time of the $n$th fading event from the fading at $T_{0}$, and $P_{0}$ is the fading period at $T_{0}$.

We find double fading events for the first time. We analyze the fading timing of first and second fading events to investigate which fading events are more periodic. The single fading events before February 2014 and the first/second without single fading events after November 2014 are used for periodicity fitting. Additionally, we obtain the linear and quadratic solution for the times of fading center. The best-fit parameters are shown in Table 4.2. Figure 4.2 shows the residual between observed and calculated ( $\mathrm{O}-\mathrm{C}$ ) of transit center time. For the first fading, the statistic of linear fit statistics show $\chi^{2}=8202.87$ with nine degrees of freedom, and the result of the quadratic fit is $\chi^{2}=8081.78$ with eight degrees of freedom. On the other hand, for the second fading, the statistics of linear fit gives $\chi^{2}=943.39$ with nine degrees of freedom, and the result of the quadratic fit is $\chi^{2}=592.10$ with eight degrees of freedom. The uncertainties of each transit center timing are 0.5-2 minutes. These results show that the second fading events are more periodic than the first fading events. Hence, it is assumed that the second fading origin is the same as the single fading origin before February 2014.

In the observations in Yu et al. (2015), double fading events were not reported. The epochs of these observations are until February 2015. We observed double fading events in November 2014, January 2015, and December 2015; however, the second fading depths in November 2014 and January 2015 are shallower than the first fading depths. Therefore, Yu et al. (2015) could not have found shallow second fading events. If the shallow second fading events in our observations in November 2014 and January 2015 are excepted, this does not affected the conclusion because the second fading event in December 2015 is significant and more periodic than the first fading.

The wavelength dependence of the second fading has not been measured. The origin of double fading will be revealed when the difference in the wavelength dependences of the first and second fading events are measured.

Yu et al. (2015) claimed the orbital decay whose best-fit parameters are $T_{0}=2455201.790 \pm 0.006$ days, $P_{0}=0.448438 \pm 0.000006$ days, and $\mathrm{d} P / \mathrm{d} n=(-2.09 \pm 0.25) \times 10^{-8}$ days epoch ${ }^{-1}$. These parameters lead to the period shrinking to zero after $\sim 10^{4}$ years, which corresponds to the timescale of tidal dissipation, assuming the tidal quality factor $Q$ to be for a gas giant calculated by Kamiaka et al. (2015).

For the quadratic fit for second fading events, the significance of $\mathrm{d} P / \mathrm{d} n$ is $1.7 \sigma$ and $\mathrm{d} P / \mathrm{d} n$ is at the most an order of magnitude less than that obtained by Yu et al. (2015). Therefore, our results disagree with the orbital decay presented by Yu et al. (2015). Accordingly, the tidal quality factor $Q$ based on our analysis does not reach the value of the gas giant. However, the first fading timing before January 2015 during the same timespan of Yu et al. (2015) denotes the same tendency reported by Yu. It is likely that Yu et al. (2015) have found only the first fading events.

Next, we discuss the time evolution of $R_{\mathrm{p}} / R_{\mathrm{s}}$ and $b . R_{\mathrm{p}} / R_{\mathrm{s}}$ varies by more than double in one bandpass filter $J$-band, regardless of first or second fading. This is not explainable in terms of a gas giant. However, circumstellar dust can cause the large time variation of $R_{\mathrm{p}} / R_{\mathrm{s}}$. The light curve depth of KIC 12557548 changes with time like the target (Rappaport et al., 2012). KIC 12557548 is considered a disintegrating planet, emitting dust.

The impact parameter $b$ directly reflects the orbital inclination $i$. Assuming a circular orbit, equation 1.5 is rewritten as

$$
\begin{equation*}
b=\frac{a \cos i}{R_{\mathrm{s}}} \tag{4.4}
\end{equation*}
$$

The time evolution of the orbital inclination is shown in Figure 4.5.
Barnes et al. (2013) and Kamiaka et al. (2015) discussed precession of the ascending node of the planetary orbit and the rotation pole for the host star. The period of precession is calculated to be 200-800 days. To compare their precession period, we check the periodicity of our orbital inclination evolution. We compute the Lomb-Scargle periodogram of the orbital inclination in a searching range of $1-1000$ days. We show the result of this calculation in Figure 4.4. When the spectral power is 12.9, the falsealarm probability is $99.9 \%$ in this figure. Therefore, the obtained spectral power, which is lower than 2.5 does not have a significant signal in the entire region. This result shows that the inclination variation is not periodic.

Finally, we discuss the relationship between $R_{\mathrm{p}} / R_{\mathrm{s}}$ and fading duration. We show this relation in Figure 4.4. Note that the points of faint colors show the data with grazing orbit ( $b>1$ ). In other words, $R_{\mathrm{p}} / R_{\mathrm{s}}$ with the grazing orbits are probably overestimated. There is a positive correlation between $R_{\mathrm{p}} / R_{\mathrm{s}}$ and duration. This trend is consistent with Yu et al. (2015). The tendency suggests that fading origin does not have a rigid body such as ellipsoid.

Table 4.2: Best-fit parameter for fading period.

| linear fit | based on first fading |  | based on second fading |  |
| :--- | :---: | :---: | :---: | :---: |
|  | Value | Uncertainty | Value | Uncertainty |
| $T_{0}$ [BJD $\left.{ }_{\mathrm{TDB}}-2450000\right]$ | 6259.153 | $\pm 0.012$ | 6259.1410 | $\pm 0.0041$ |
| $P_{0}$ [days] | 0.4483692 | $\pm 0.0000087$ | 0.4483988 | $\pm 0.0000028$ |
| $\chi^{2}$ | 8202.87 |  | 943.39 |  |
| quadratic fit |  |  |  |  |
| $T_{0}$ [BJD |  |  |  |  |
| $P_{0}$ [days -2450000$]$ | 6259.156 | $\pm 0.016$ | 6259.1459 | $\pm 0.0045$ |
| $\mathrm{~d} P / \mathrm{d} n$ [days epoch |  |  |  |  |
| $\left.\chi^{2}\right]$ | 0.448362 | $\pm 0.000028$ | 0.4483858 | $\pm 0.0000079$ |
|  | $3.0 \times 10^{-9}$ | $\pm 1.1 \times 10^{-8}$ | $5.1 \times 10^{-9}$ | $\pm 3.0 \times 10^{-9}$ |



Figure 4.2: Residual between the observed and the calculated time of transit center. The red points show the residuals based on the single fading events. The green points show the residuals based on the first of the double fading events. The blue points show the residuals based on the second of the double fading events. The upper-left panel shows the residual for first fading and linear fit. The upper-right panel shows the residual for second fading and linear fit. The lower panel shows the residual for first fading and quadratic fit. The lower-right panel shows the residual for second fading and quadratic fit. The uncertainties of each point are 0.5-2 minutes.


Figure 4.3: Time evolution of the orbital inclination. The red points show the inclination of single fading events. The green points show the inclination of the first of the double fading events. The blue points show the inclination of the second of the double fading events.


Figure 4.4: Periodogram showing time variations of the orbital inclination. When the power is 12.9 , the false-alarm probability is $99.9 \%$. Hence, the spectral power does not have a significant signal in entire region.


Figure 4.5: Relations between $R_{\mathrm{p}} / R_{\mathrm{s}}$ and duration. The red points show the single fading events. The green points show the first of the double fading events. The blue points show the second of the double fading events. The points of faint colors show the data with grazing orbit $(b>1)$.

### 4.3 The Origin of Fading Events

The candidates of the origin of the fading events except a gas giant as proposed by Yu et al. (2015), are starspots near the rotational pole and orbiting or accreting dust (Figure 4.6). In the figure, dust-emitting rocky planet indicates a disintegrated planet like KIC 12557548 (Rappaport et al., 2012) or K2-22b (Sanchis-Ojeda et al., 2015). These objects are small transiting planet with a large amount of dust. The transit light curves vary with observational epoch. Cool starspots mean that the fading events occur by starspots near the stellar rotational pole. Circumstellar dust means the eclipses by an infalling circumstellar disk or dust. Accretion hotspot means the occultation by an accretion current into a hotspot. Now, we group dustemitting rocky planet, circumstellar dust and accretion hotspot as "dust cloud," owing to the difficulty of separation.

According to Grankin et al. (2008), weak-line T-Tauri stars have stable long-term periodic variability for several years because of starspots and stellar rotation. Such a long-term stability is, however, the result of starspot modulation on so-called active longitudes despite the short lifetime (weeks) of each starspot. CVSO 30 has been observed to display transit-like fading events over six years since the first observations by van Eyken et al. (2012). Starspots are an unlikely cause of fading events, because it is difficult for the spots to exist near the pole at all the times.

We organize the above discussions on the origins in Table 4.3. The remaining possibility for the wavelength dependence would be in favor of transiting dust clump. As an example of dust with a rocky planet, Rappaport et al. (2012) found that the shape of transit light curves of KIC 12557548 changes in time. In another example of a disintegrating planet, SanchisOjeda et al. (2015) signified the wavelength difference of the transit depth by spectro-photometric observations of K2-22b. The above disintegrated planets have a pre-ingress brightening by forward scattering and a prolonged egress by a cometary tail. A pre-ingress brightening is not seen significantly in CVSO 30. However, some light curves, such as December 2015 and February 2016 in the $r_{2}^{\prime}$-band exhibit slight pre-ingress brightening slightly. More precise photometry is needed to discuss the existence of ingress and egress transformations. The exponent of the our extinction power law which is defined as $-\mathrm{d} \ln A / \mathrm{d} \ln \lambda$, where A is fading depth obtained by $\left(R_{\mathrm{p}} / R_{\mathrm{S}}\right)^{2}$, is $1.7 \pm 0.8$. This value is similar to the exponent of the extinction by interstellar medium $2.13 \pm 0.08$ obtained by Damineli et al. (2016).

Dust clouds are also able to explain the time variation of fading shapes as shown in Figure 4.7. The double fading events are accountable by breaking up into fragments. Large variations of $R_{\mathrm{p}} / R_{\mathrm{s}}$ are not explainable in terms of a planet. However, dust clouds with a nonspherical shape might also explain it. As for the nonperiodic evolution of the impact parameter, this result is
inconsistent with the precession model of a giant by Barnes et al. (2013). On the other hand, it leaves a margin for the origin by dust cloud because of perturbation by the stellar magnetic field, stellar radiation pressure, or otherwise. If there is the circumstellar disk remnant, double fading events are explainable in terms of the transit by a part of the disk like KH 15D (Herbst et al., 2002).

Moreover, the orbital period consistent with the stellar rotational period (van Eyken et al., 2012) reinforces the dust explanation. The radius of the inner edge of the protoplanetary disc is accorded with the co-rotation radius because of slowing down from the stellar magnetic field. Therefore, if partial dust fall occurs down to the inner orbit, it cannot continue Kepler motion and accretes to the host star rapidly.

Rejecting starspots as the fading origin does not indicate the absence of starspots on CVSO 30. The large variations of observed baselines occur by nonpolar starspots. Starspots on a rotating star produce the radial-velocity signal (e.g. Queloz et al., 2001). The presence of starspots on CVSO 30 would result in the radial-velocity just as the stellar rotational period measured by van Eyken et al. (2012).

The candidate sources of dust include a disintegrating rocky planet, a circumstellar disk, and an occultation of an accretion hotspot. High-precision spectrophotometric observations at near-infrared wavelengths are suitable for distinguishing their origins.


Circumstellar dust


Figure 4.6: Illustrations showing the candidates of the origin of fading events proposed by Yu et al. (2015).

Table 4.3: Comparison between the results of this work and the fading origin candidate from Yu et al. (2015).

|  | Giant planet | Dust cloud | Starspot |
| :--- | :---: | :---: | :---: |
| Wavelength dependence | No | Yes | Yes |
| No orbital decay | No | Yes | Yes |
| Lifetime of starspots | Yes | Yes | No |
| Time variation of $R_{\mathrm{p}} / R_{\mathrm{s}}$ | No | Yes | Yes |
| Non-periodic inclination variation | No | Yes | Yes |



Figure 4.7: Illustrations based on our result. A dust clump eclipses the host star.

## Chapter 5

## Summary and Future Prospects

We have observed the transit-like fading events of the weak-line T-Tauri star CVSO 30 in the $g_{2^{-}}^{\prime}, r_{2^{-}}^{\prime}$, and $z_{\mathrm{s}, 2}$-bands simultaneously using the MuSCAT instrument and in the $J$-band using the ISLE instrument on the 188 -cm telescope at Okayama Astrophysical Observatory. We perform light curve fitting using transit models with the independent $R_{\mathrm{p}} / R_{\mathrm{s}}$, the same $a / R_{\mathrm{s}}$, and the same impact parameter for each band. We have successfully detected significant wavelength dependence in the transit light curves of CVSO 30. The results of transit light curve fitting show large wavelength dependence in transit depths of $3.1 \%, 1.8 \%, 1.1 \%$ for the $g_{2^{-}}^{\prime-}, r_{2^{-}}^{\prime}$, and $z_{\mathrm{s}, 2^{-}}$-bands, respectively. This wavelength dependence includes the degeneracy between the planetary-to-stellar radii ratio $R_{\mathrm{p}} / R_{\mathrm{s}}$ and the transit impact parameter $b$ due to the obtained grazing orbit. We confirm that $R_{\mathrm{p}} / R_{\mathrm{s}}$ has a wavelength dependence for any $b$.

We also analyze the light curves of fading events over the four seasons. We find double transit-like fadings in some light curves observed in 20142015. Moreover, we find that $R_{\mathrm{p}} / R_{\mathrm{s}}$ and $b$ are variable with orbital epoch. The wavelength dependence rules out a transiting gas giant scenario because it was too large to be due to a hydrogen-dominated atmosphere of a hot Jupiter or the gravity-darkening effect.

The long-term observations show that the first fading events are more periodic than the second fading events in double fading events. The first fading events and single fading events before 2014 do not show orbital decay. This result implies inconsistency with the calculation of tidal dissipation assuming a gas giant by Kamiaka et al. (2015). We also find that the time evolution of $R_{\mathrm{p}} / R_{\mathrm{s}}$ is difficult to explain by the planetary phenomena. Moreover, the time variation of $b$ does not have a periodic signature.

In addition, starspots are an unlikely cause of fading events, because it is difficult for the spots to exist near the pole at all times. Thus, our results
are in favor of a transit by circumstellar dust clump or occultation of an accretion hotspot, which were introduced by Yu et al. (2015).

For future prospects, high-precision spectrophotometric observations at near-infrared wavelengths are suited to distinguish the possible remaining origins. If there is a rocky planet in a dust cloud, the fading depth is deeper at all wavelengths corresponding to the planetary disk. However, if a dust cloud does not include a planet, the wavelength dependence of the fading depth is clear and large.

Transit survey projects have the potential to discover other periodic fading events besides CVSO 30. Examples of transit survey projects from the present into the near future include the K2 mission (Howell et al., 2014), Transiting Exoplanet Survey Satellite (TESS) (Ricker et al., 2015), and PLAnetary Transits and Oscillations of stars (PLATO) (Rauer et al., 2014), among others. These survey programs have a much greater chance of discovering other transit-like fading events because these survey fields include star forming regions. The studies of multiple young objects with transit-like events will also reveal the events near YSOs.

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